

Selected specifics of double-moment microphysics

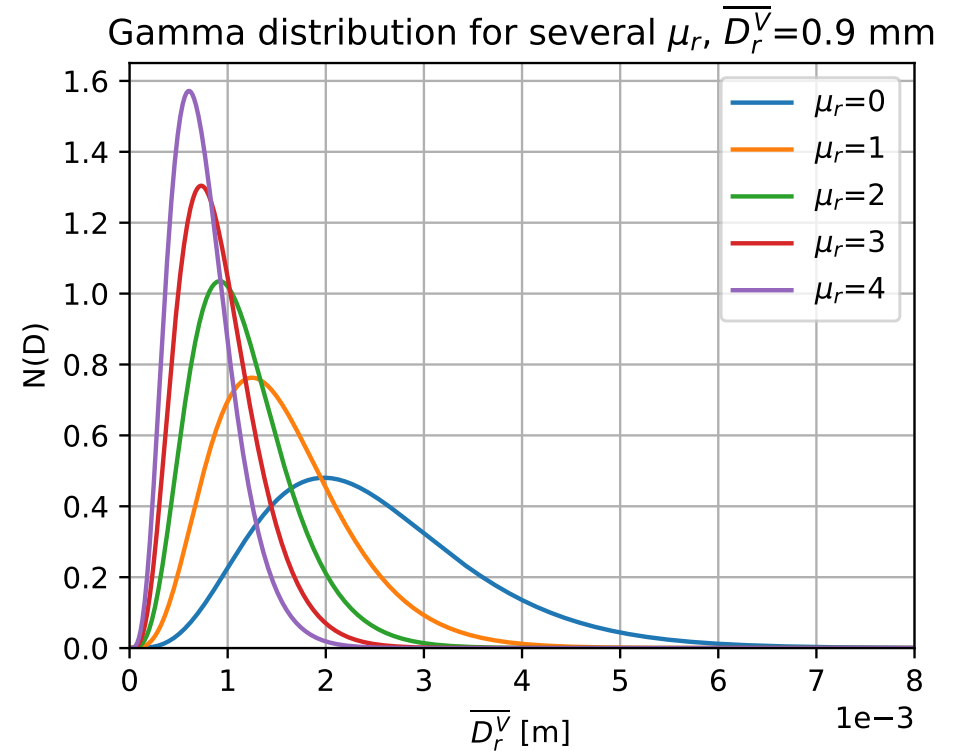
David Němec (CHMI, Prague)

Outline

- generalities and current status
- parameterization of cloud water
- rain sedimentation: the problem of excessive size-sorting
- rain self-collection and breakup: spike
- the choice of interpolator for rain
- ice phase: the devil in disguise

Towards 2-mom scheme in ALARO: generalities

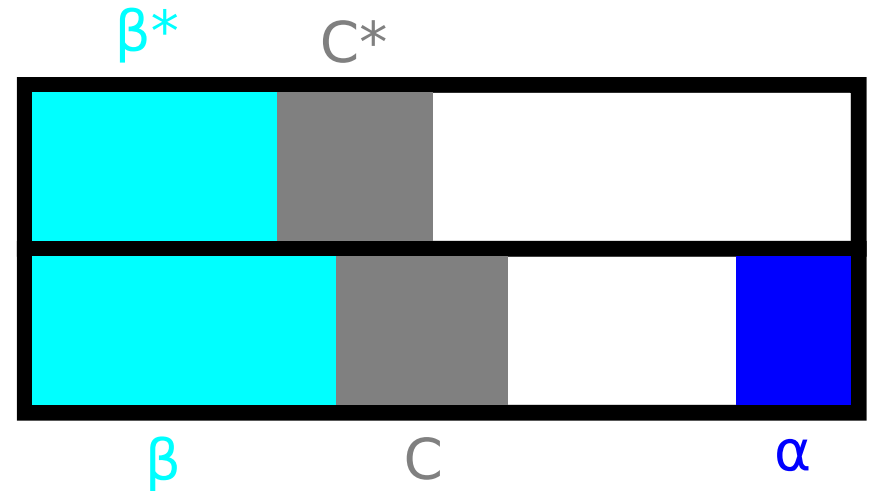
- 5 hydrometeors
- gamma size distributions
- 2-mom hydrometeors have 2 GFL fields:
for q and N



Towards 2-mom scheme in ALARO: current status

- liquid phase ready for testing
- very beginning of ice phase
- cloud and precipitation overlap/geometry
 - equal $\overline{D_r^V}$ in all four areas:

$$N_j = \frac{q_j}{q} N \quad (1)$$



Processes

- activation
- autoconversion
- collection
- self-collection + break-up
- evaporation + melting

Definition of a hydrometeor

mass: $m(D) = aD^b$ (2)

fall-speed: $w(D) = cD^d \left(\frac{\rho_0}{\rho_a} \right)^f$ (3)

size-distribution: $n(D) = N \rho_a \frac{\lambda^{\mu+1}}{\Gamma(\mu+1)} D^\mu e^{-\lambda D} [m^{-4}]$ (4)

slope parameter: $\lambda(q, N, \mu, a, b) = \left[\frac{Na\Gamma(\mu+1+b)}{q\Gamma(\mu+1)} \right]^{\frac{1}{b}}$ (5)

Parameterization of cloud water: Activation

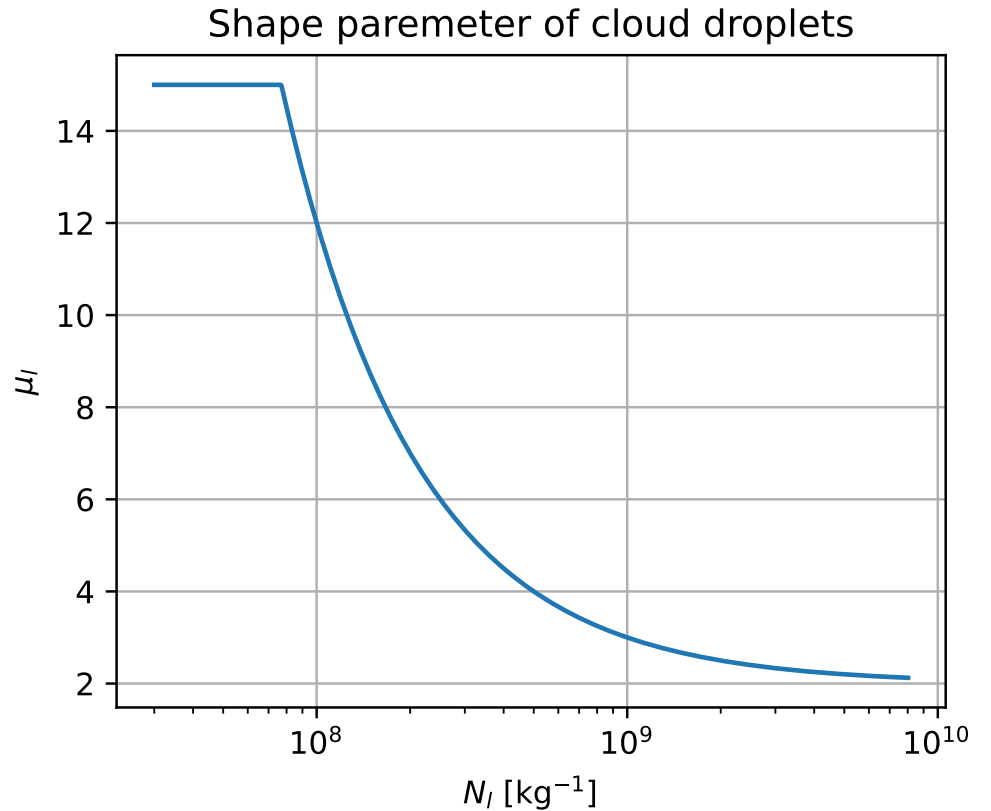
- from CCN to droplet number concentration (N_l)
- based on Feingold and Heimsfield (1992)
- number of activated CCN based on T , w , and CCN concentration
- important for autoconversion
- loss N_l : self-collection
- N_l can(not) be diagnostical

Shape parameter of cloud water

- as in the Thompson scheme (MULV):

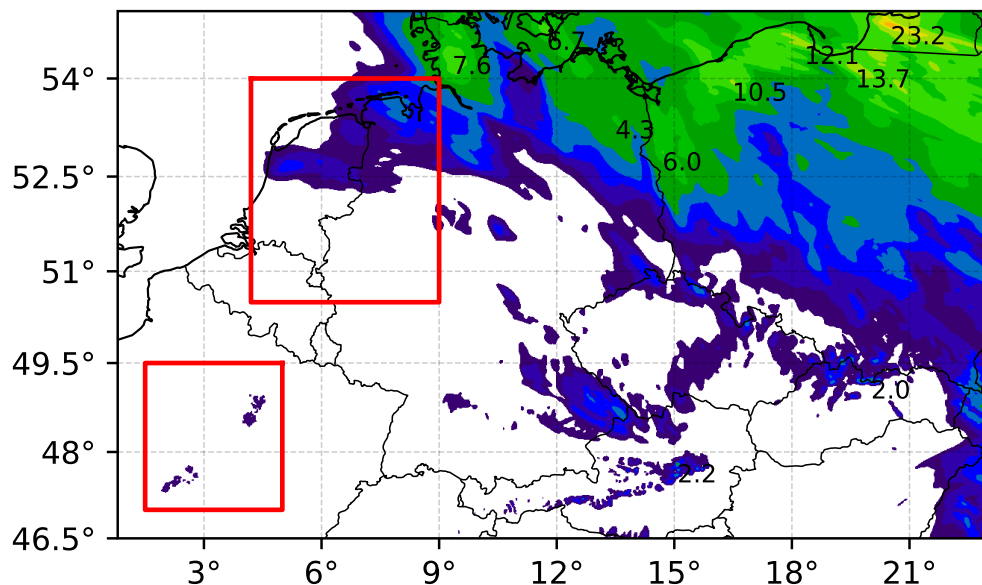
$$\mu_l = \min \left(15, 2 + \frac{10^9}{N_l \rho_a} \right)$$

- fixed with $\mu_l = 2$ (MULF)

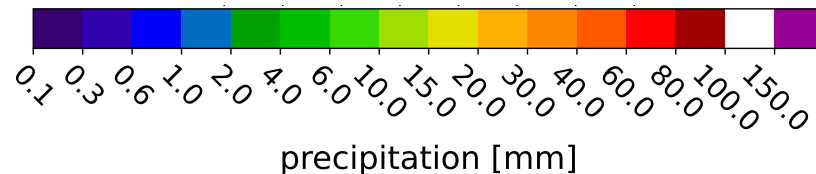
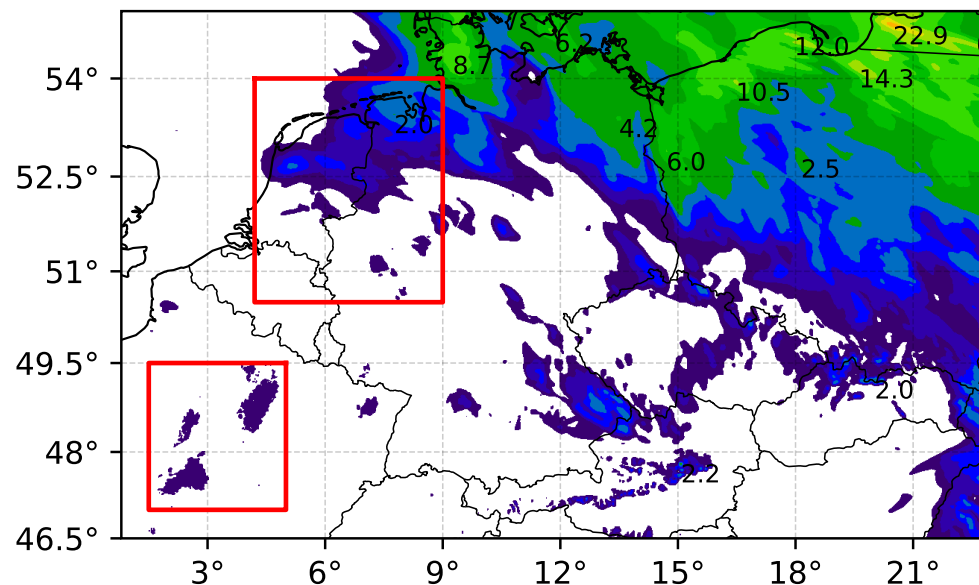


Less weak precipitation with variable μ_l

MULV: 24h precipitation (mm)
init: 2021-11-18, 00 UTC, valid: +24h

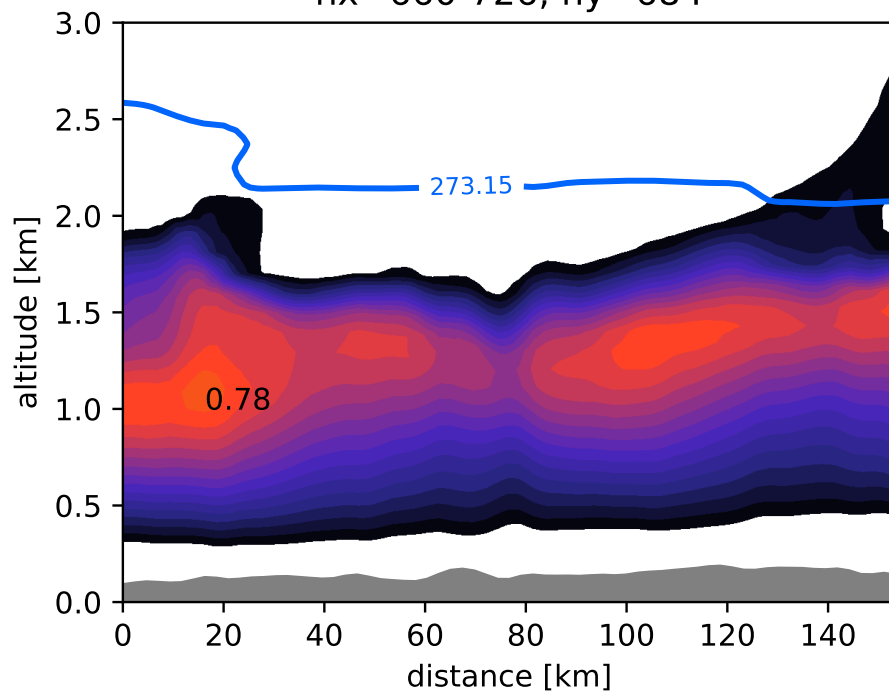


MULF: 24h precipitation (mm)
init: 2021-11-18, 00 UTC, valid: +24h

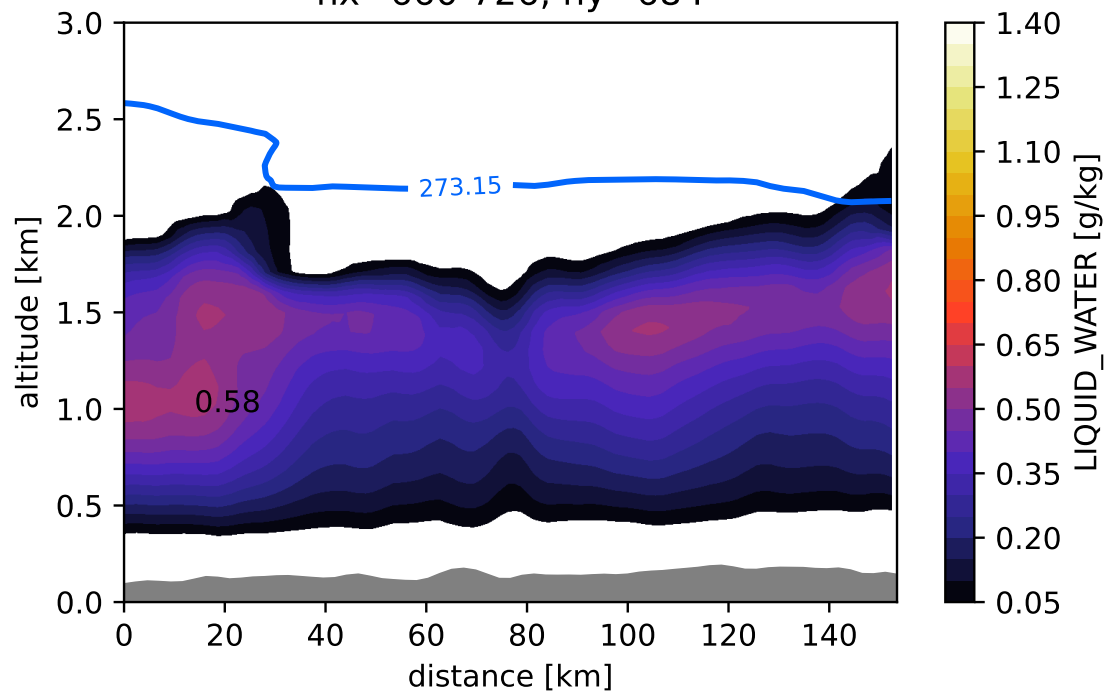


Higher liquid water content with variable μ_l

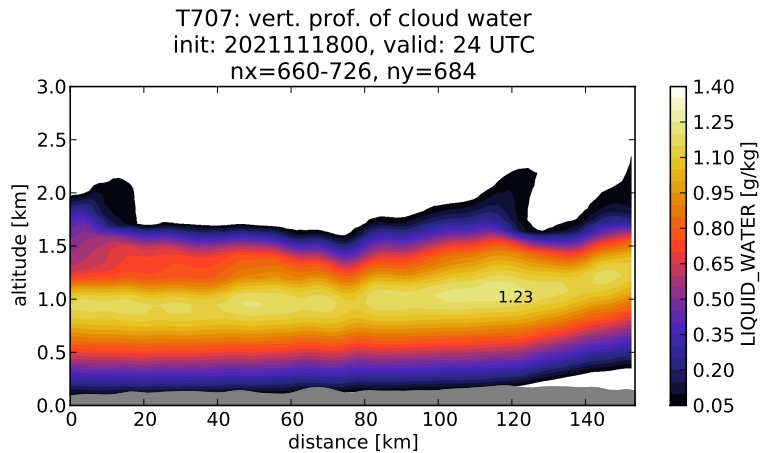
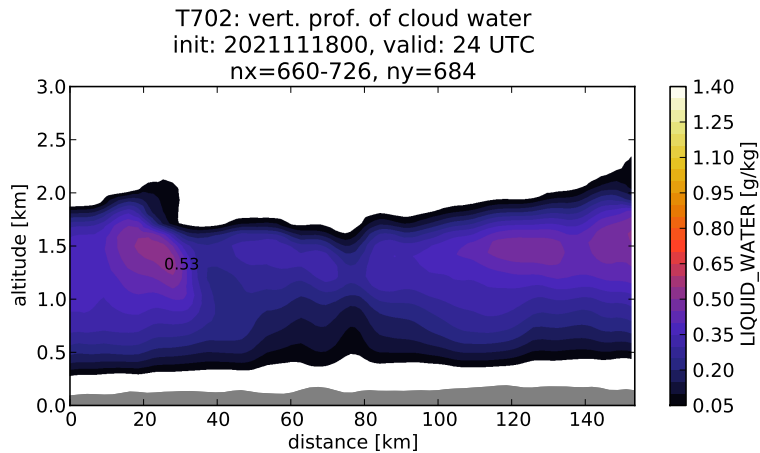
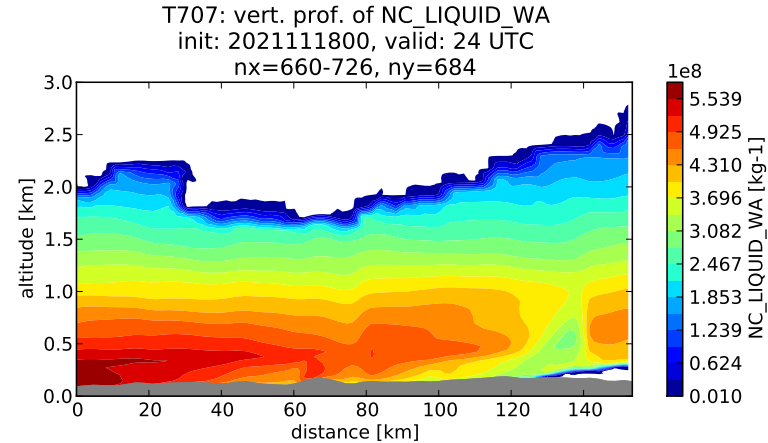
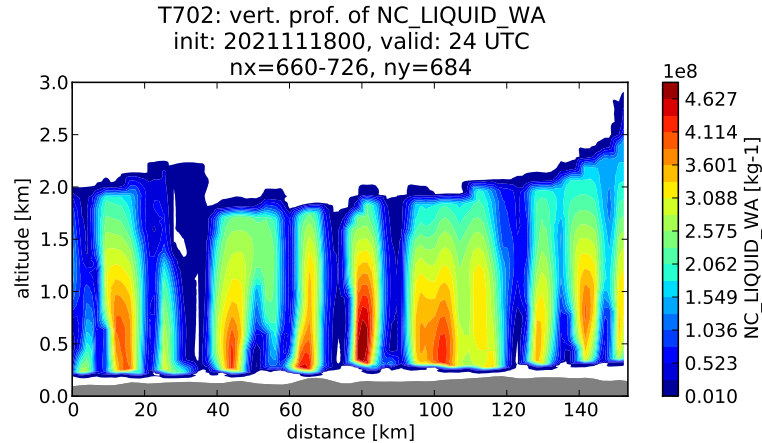
MULV: vert. prof. of cloud water
init: 2021111800, valid: 24 UTC
nx=660-726, ny=684



MULF: vert. prof. of cloud water
init: 2021111800, valid: 24 UTC
nx=660-726, ny=684



What if N_l is not prognostical (left)?

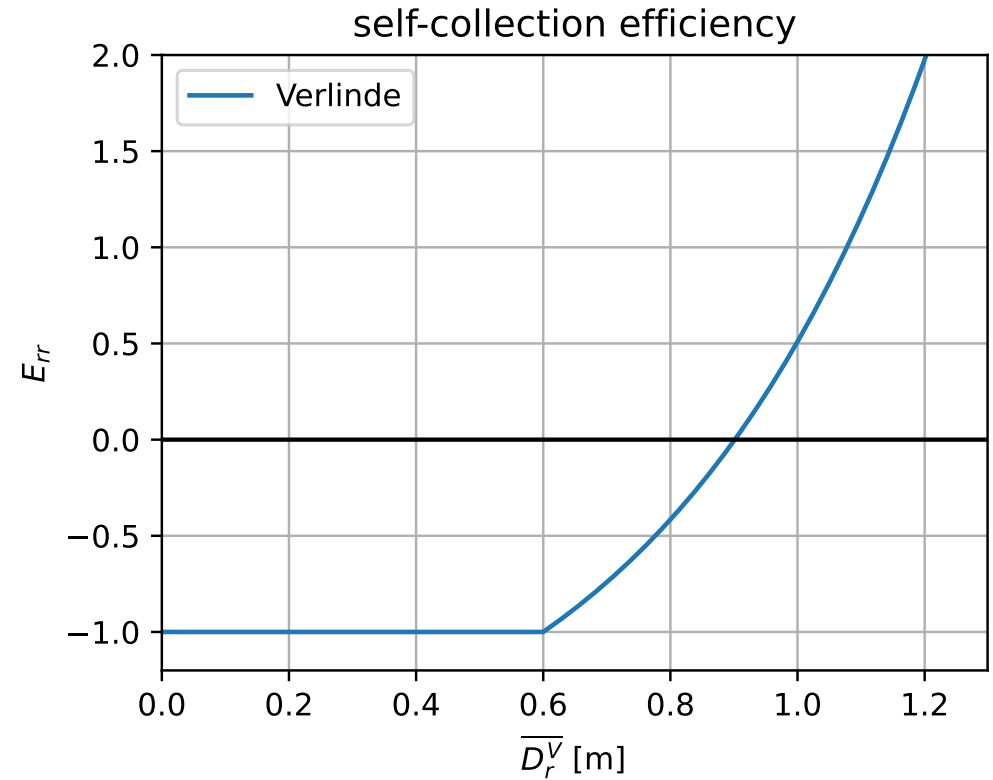


Self-collection and breakup of raindrops

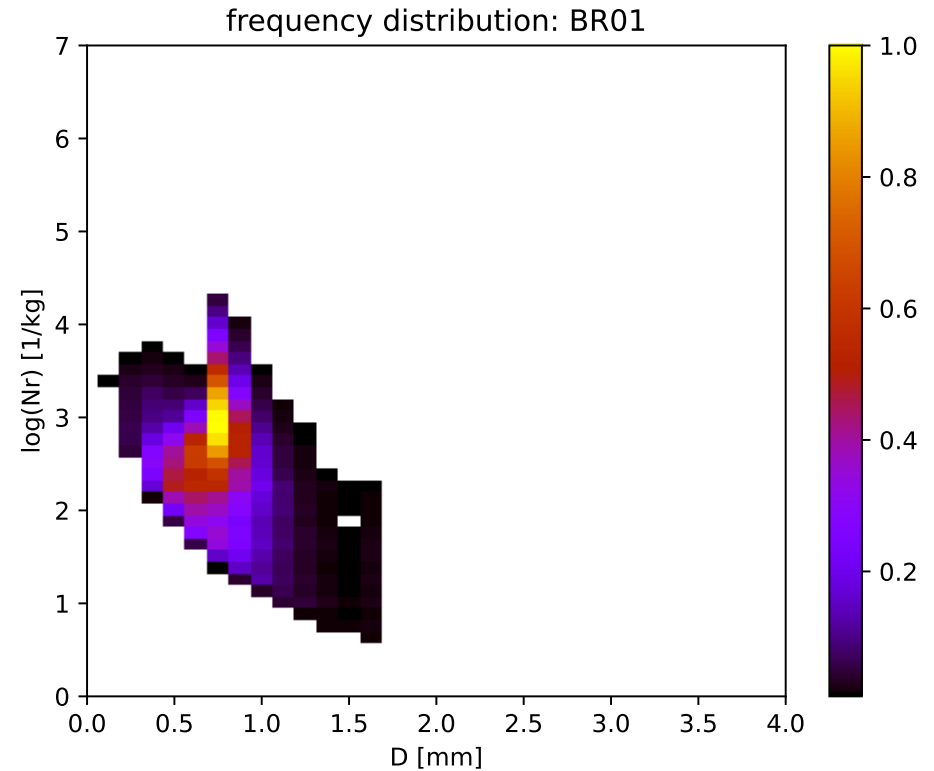
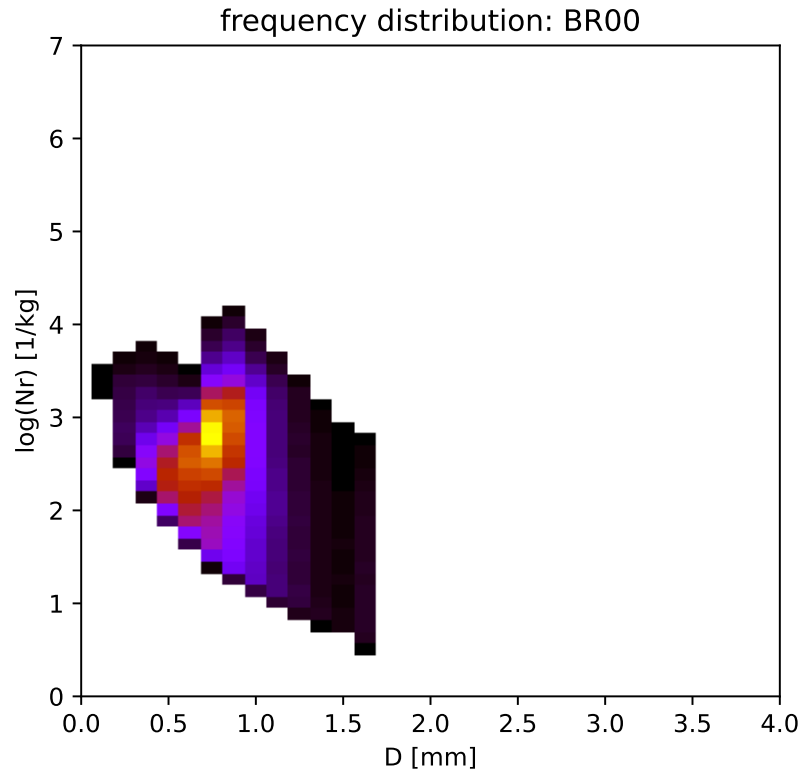
- change N_r , not q_r
- formula: Beheng (1994):

$$\left(\frac{dN_r}{dt}\right)_{sc} = 8E_{rr}N_rq_r\rho_a$$

- efficiency: Verlinde (1992)



Frequency distribution of sizes and the “spike”



Size sorting

- number-weighted and mass-weighted fall speeds:

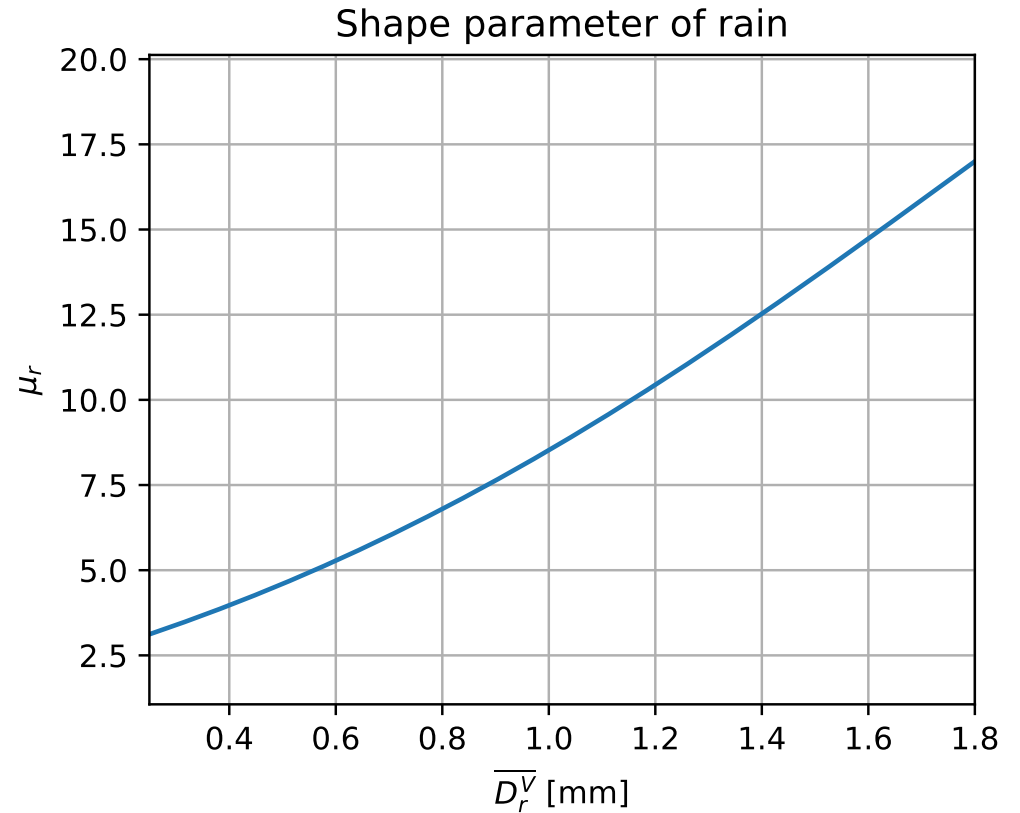
$$w_N = \frac{\int_0^{\infty} w(D)n(D)dD}{\int_0^{\infty} n(D)dD}, \quad w_m = \frac{\int_0^{\infty} w(D)n(D)m(D)dD}{\int_0^{\infty} n(D)m(D)dD} \quad (6)$$

- their ratio:

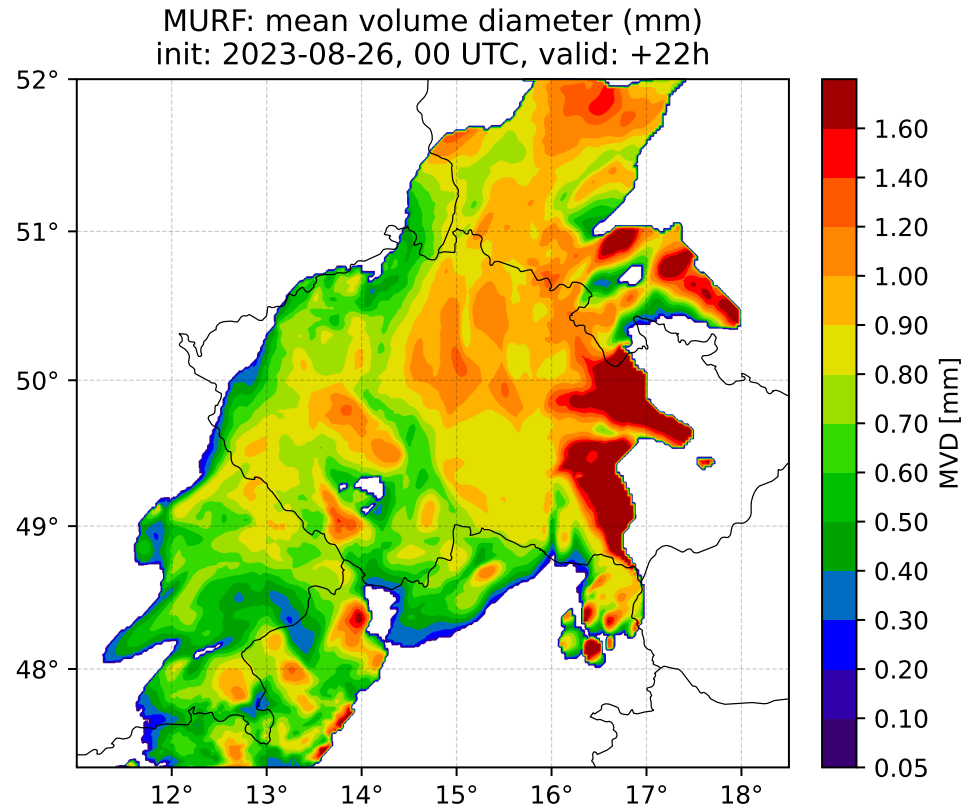
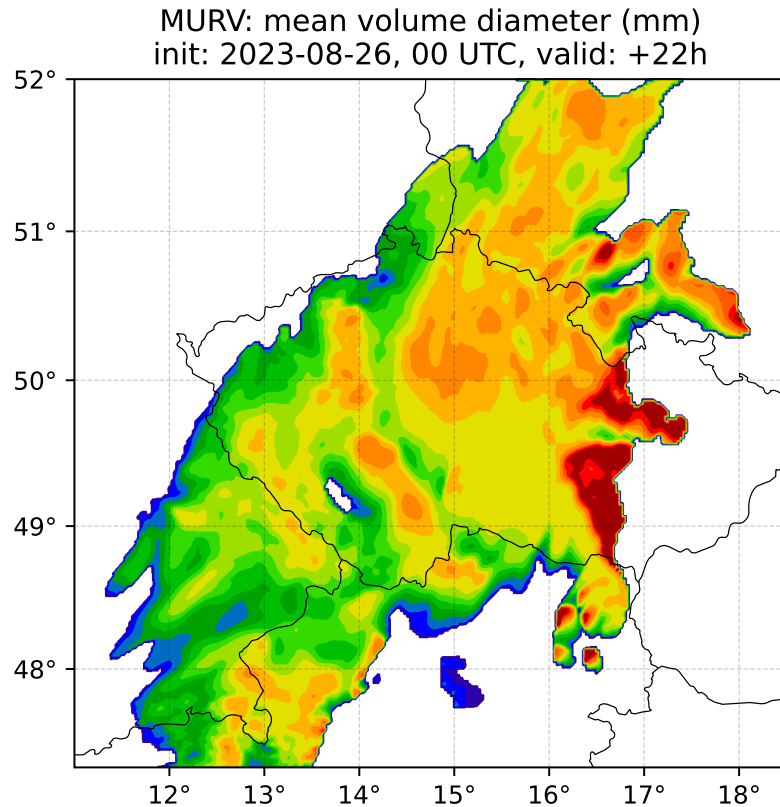
$$\frac{w_m}{w_N} = \frac{\Gamma(\mu + 1)}{\Gamma(\mu + 1 + d)} \frac{\Gamma(\mu + 1 + b + d)}{\Gamma(\mu + 1 + b)} \stackrel{b=3}{=} \frac{\sum_{i=1}^3 (\mu + i + d)}{\sum_{i=1}^3 (\mu + i)} \quad (7)$$

Self-collection and breakup of raindrops

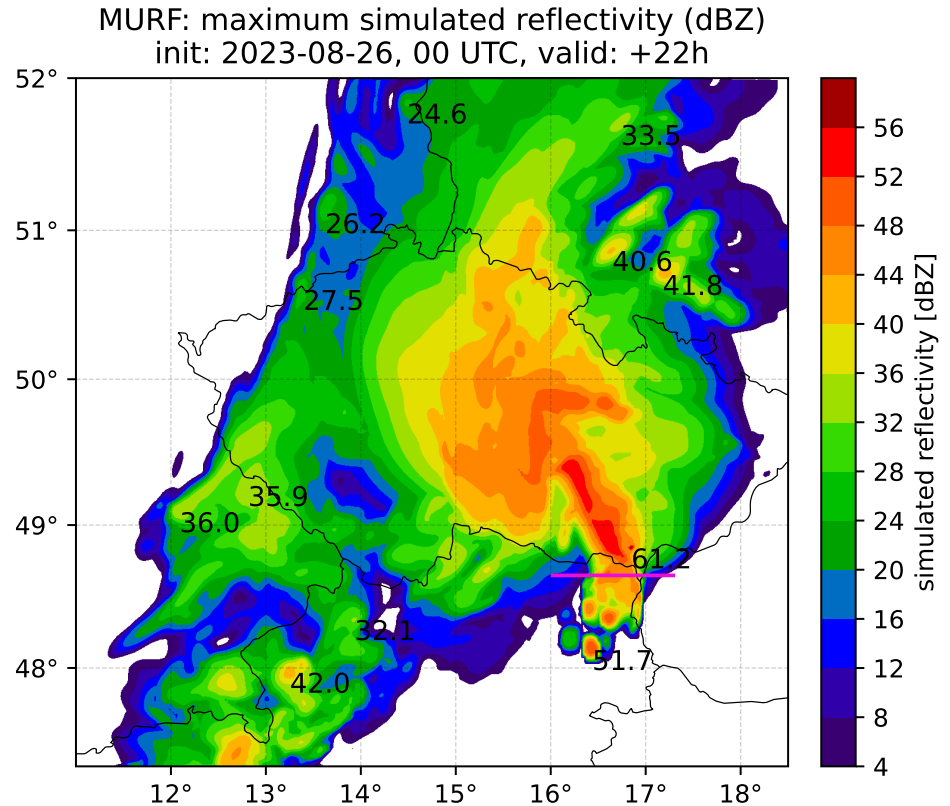
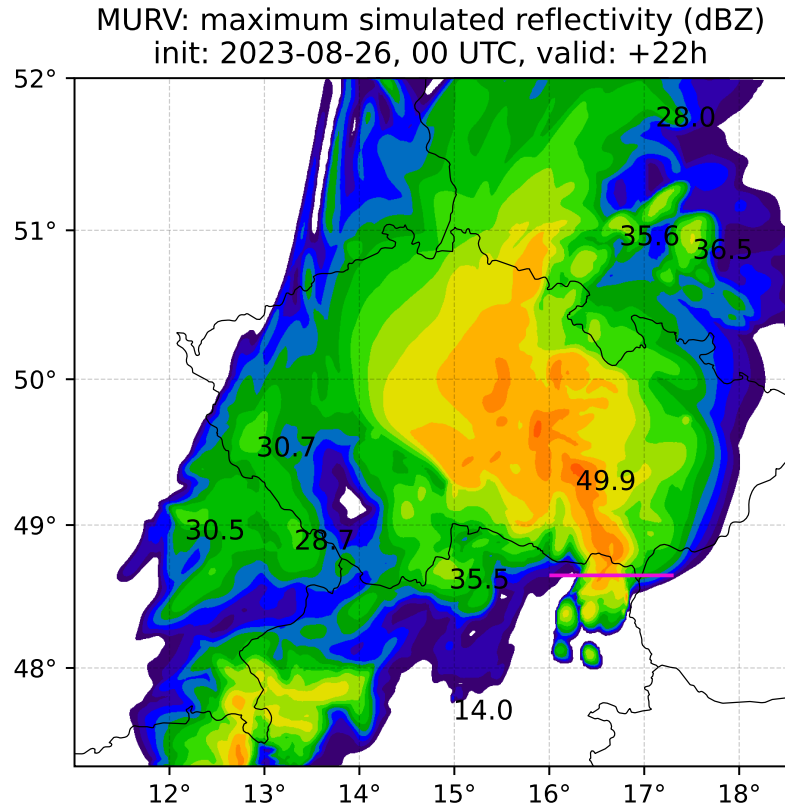
- for tests: Milbrandt, 2005: MURV
- fixed with $\mu_r = 1$: MURF



Mean volume diameter: left with variable μ_r

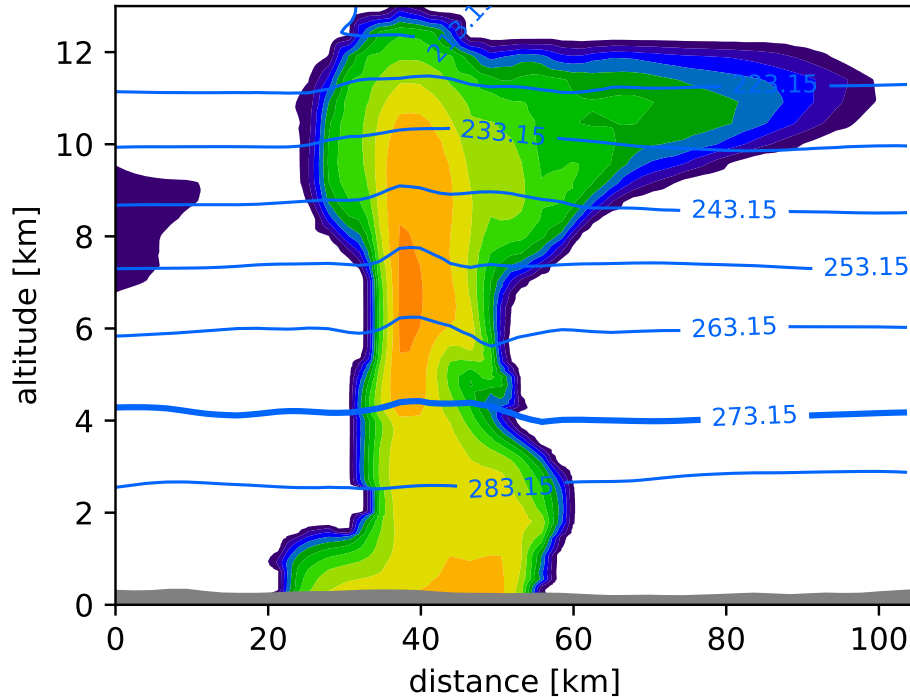


Simulated reflectivity: left with variable μ_r

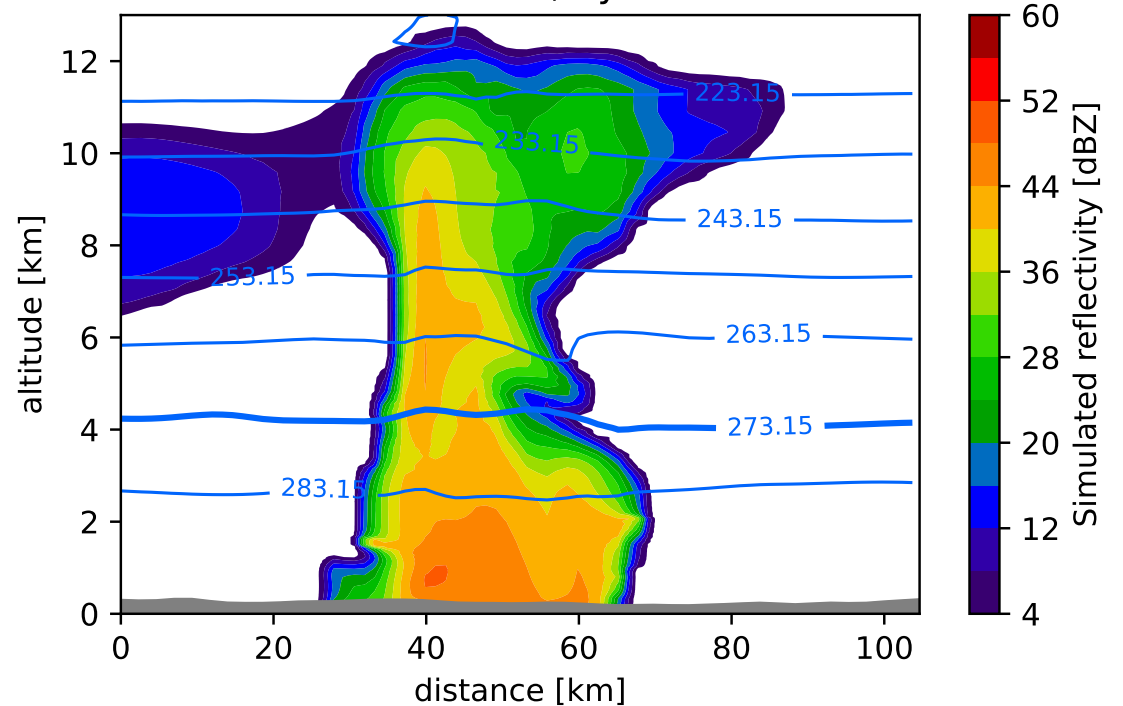


Simulated reflectivity: left with variable μ_r

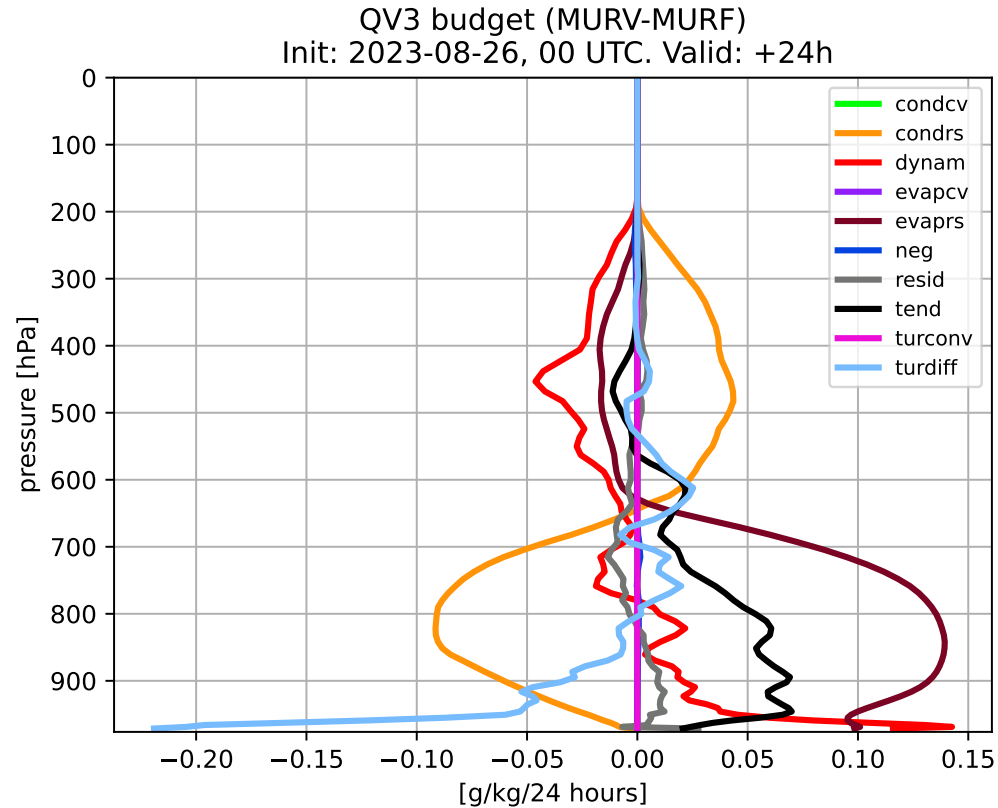
MURV: vert. prof. of simulated reflectivity
init: 2023082600, valid: 22 UTC
nx=565-610, ny=433



MURF: vert. prof. of simulated reflectivity
init: 2023082600, valid: 22 UTC
nx=565-610, ny=433



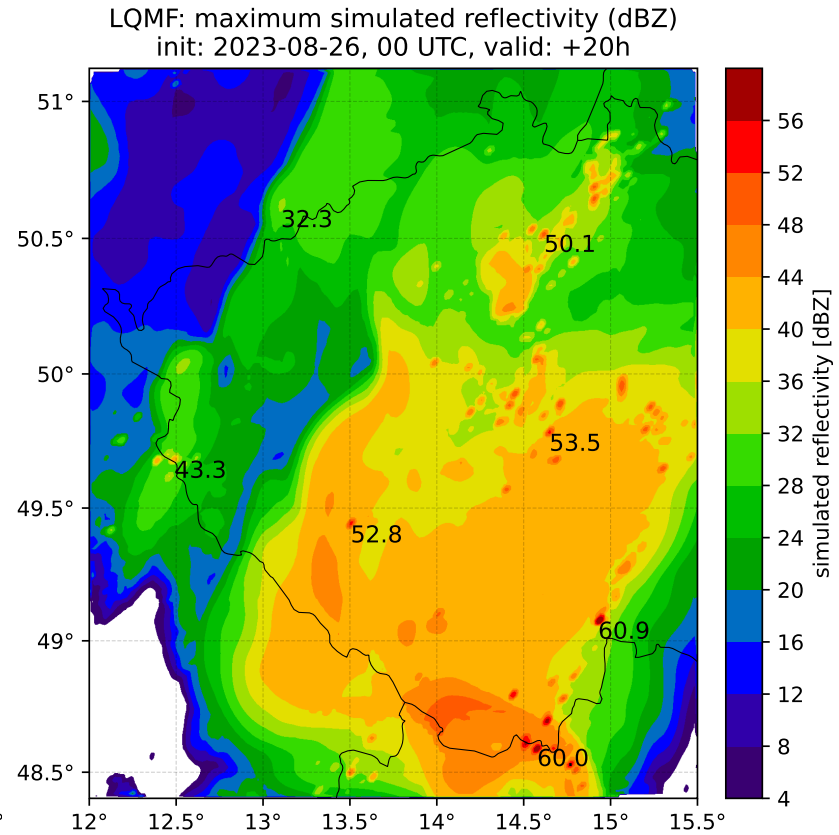
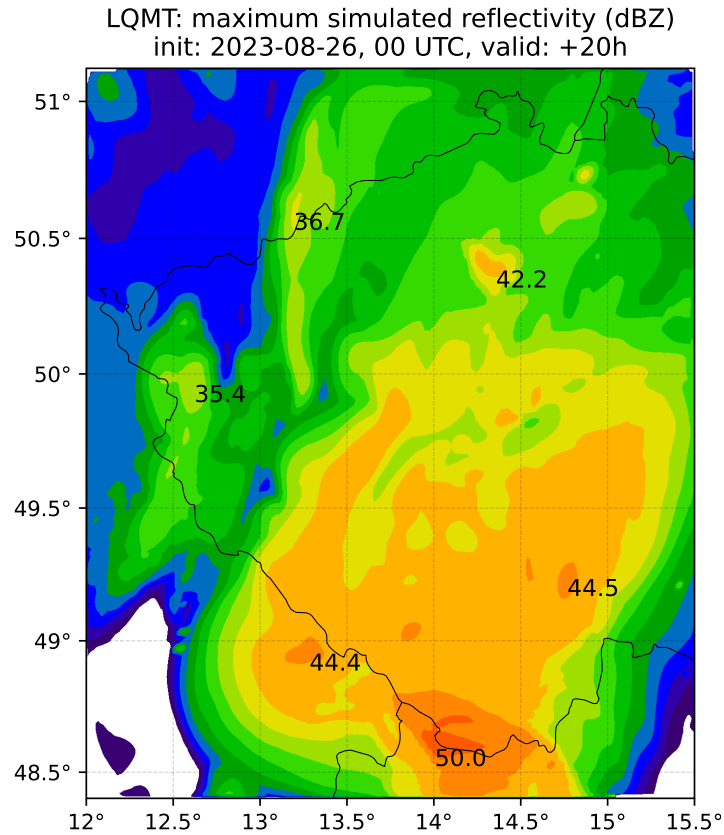
Water vapour budget difference (MURV-MURF)



Overshoots/undershoots due to interpolations

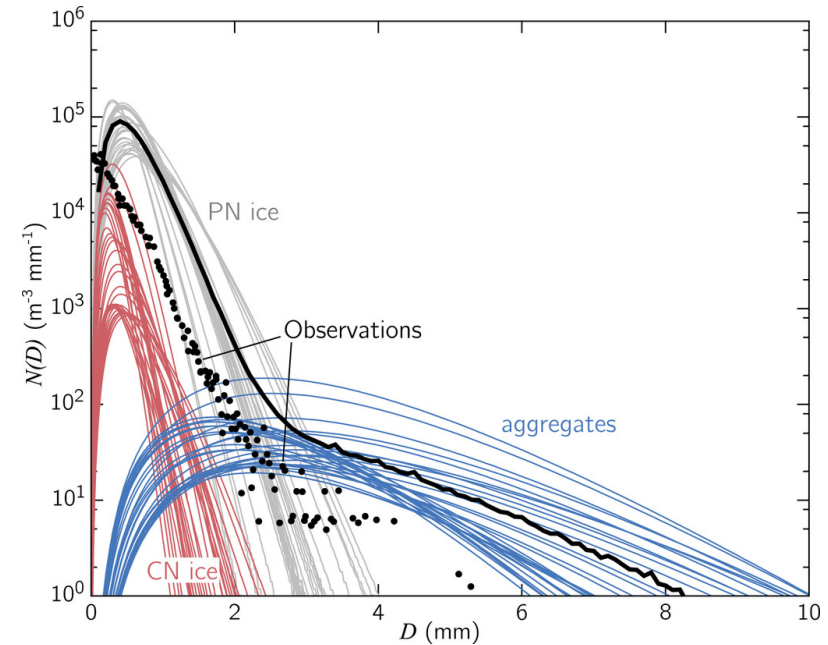
- overshoots/undershoots without shape-preserving option
- using shape-preserving option (%LQM=.T.) for rain (N_l , q_l) solves it
- but its precision is lower
- when used only for rain, low impact on results
- but perceptible when for all hydrometeors

Reflectivity pimples



Ice phase: the devil in disguise

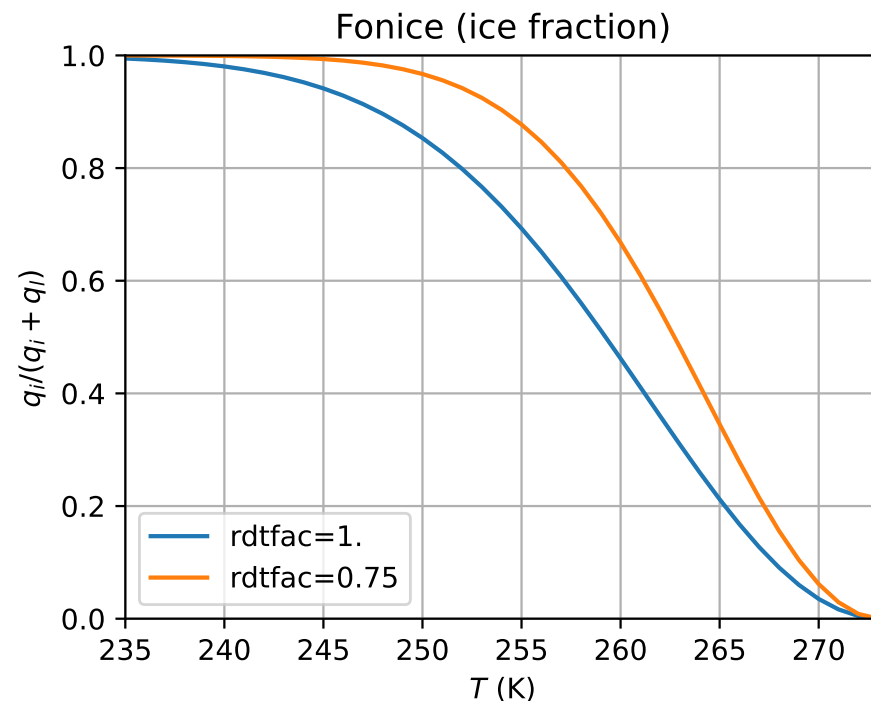
- what is cloud ice and what is snow?
- shape of snow?
- density of graupel?
- values of sticking efficiencies?
- size-distributions
- phase split



Source: Jensen, A. A., Harrington, J. Y., & Morrison, H. (2018).

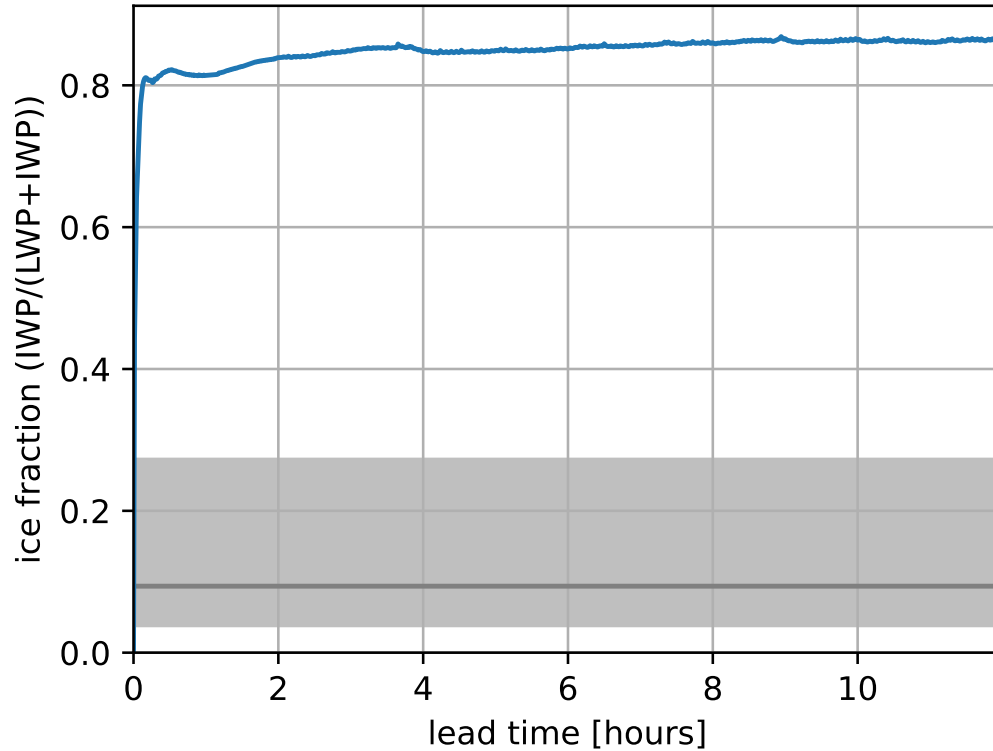
Phase split

- current split between cloud particle phases by $\text{FONICE} = f(T)$
- with CAMS we “know” IFNs

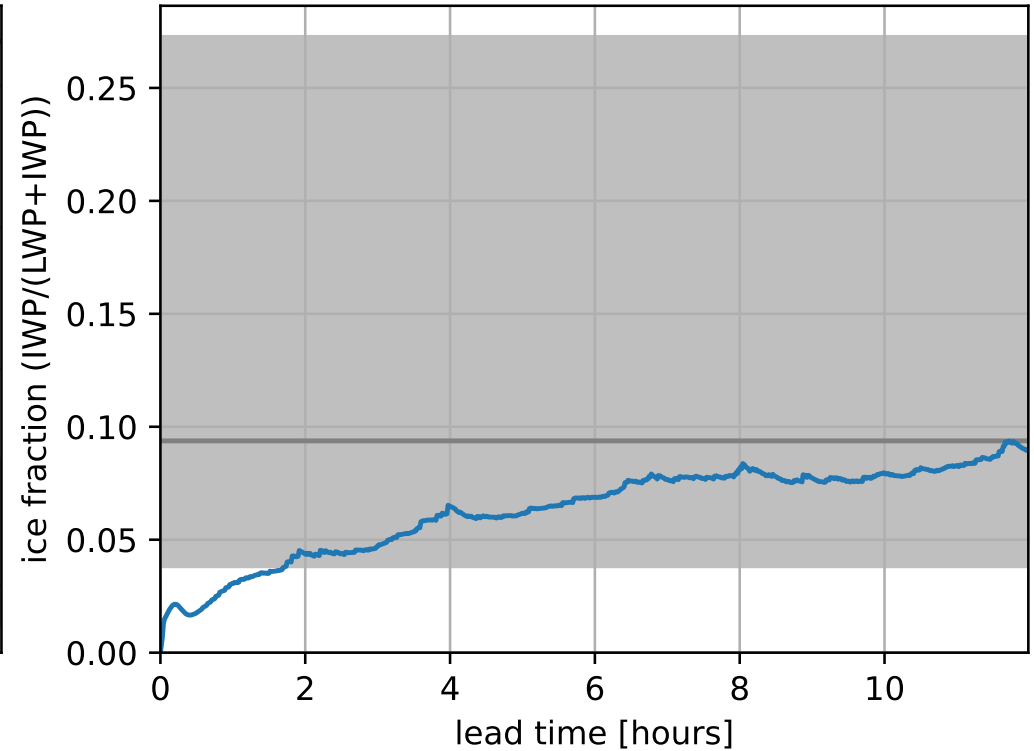


MPACE results: ice fraction

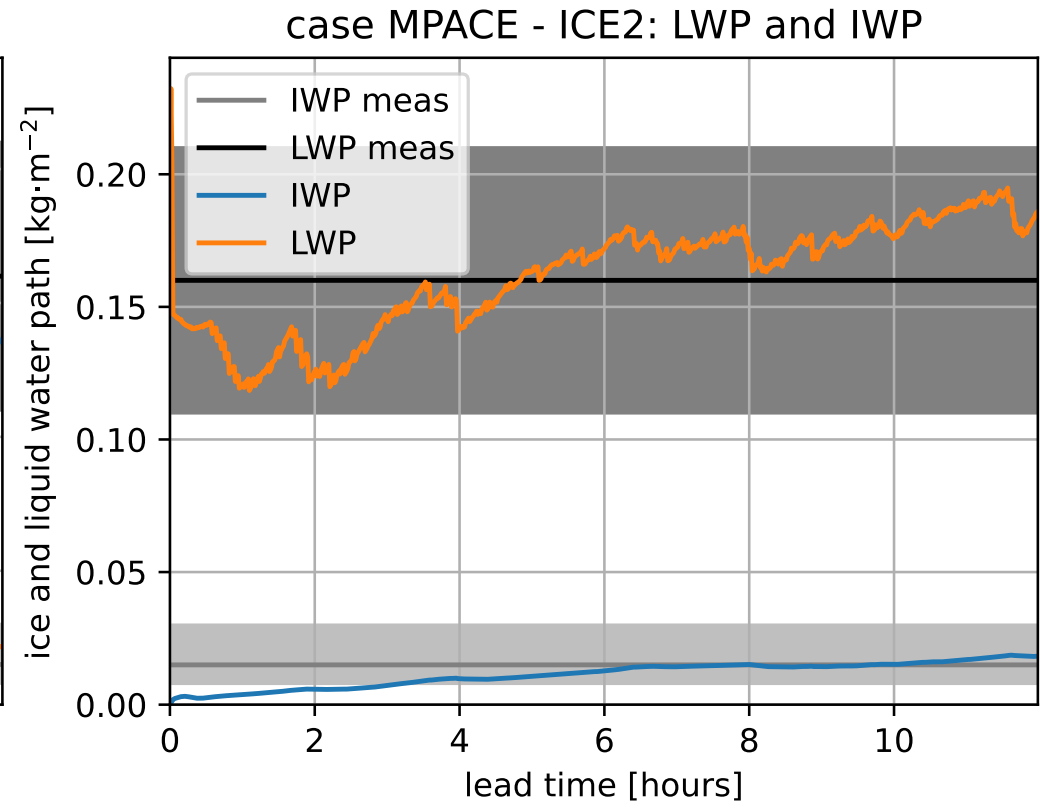
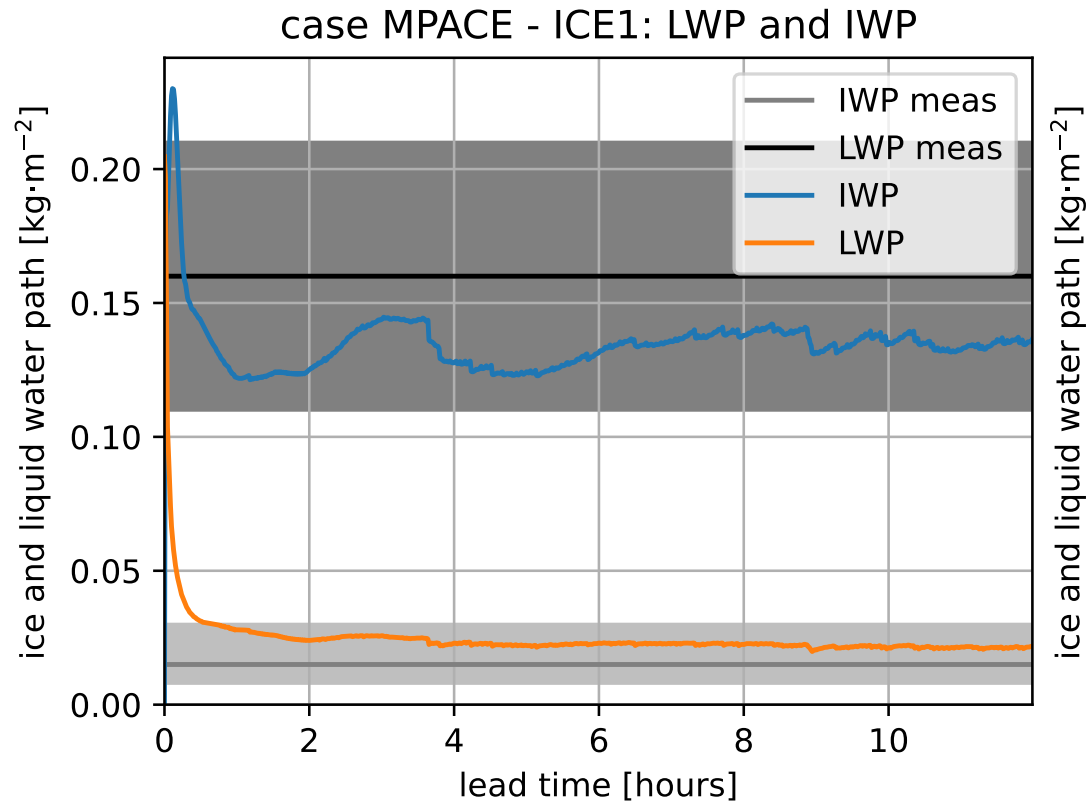
case MPACE - ICE1: ice fraction



case MPACE - ICE2: ice fraction



MPACE results: LWP and IWP



Conclusion and outlook

- liquid phase ready for testing
- higher μ_r reduces excessive size-sorting
- using LQM
- ice phase: very first tests and finding suitable parameterizations

References

- Jensen, A. A., Harrington, J. Y., & Morrison, H. (2018). Impacts of ice particle shape and density evolution on the distribution of orographic precipitation. *Journal of the Atmospheric Sciences*, 75(9), 3095-3114.

Thank you for your attention

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