

# Shallow convection closure using mass-flux type approach

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# ALARO shallow convection - recall

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- ▶ In ALARO the shallow convection scheme is on the side of the turbulence scheme TOUCANS;
- ▶ Prognostic equation for TKE:

$$\frac{dE_k}{dt} = -g \frac{\partial}{\partial p} \left( \rho K_{E_k} \frac{\partial E_k}{\partial z} \right) + I + II_m - \frac{2E_k}{\tau_k}$$

- ▶ To compute buoyancy term  $II_m$  requires to parameterize moist BVF in a general case of partly saturated grid box.

# Buoyancy term

- ▶ In TOUCANS we express the buoyancy term  $II_m$  as follows, i.e. as weighted turbulent fluxes of moist conservative variable  $s$  and total water  $q_t$ :

$$II_m = E_s \overline{w' s'} + E_{q_t} \overline{w' q'_t}$$

- ▶ With the link to the moist BFV:

$$N_m^2 = E_s \frac{\partial s}{\partial z} + E_{q_t} \frac{\partial q_t}{\partial z}$$

- ▶ Computation of “weights”  $E_s$  and  $E_{q_t}$  comes from the work on thermodynamics – see the next slide.

## in a partly cloudy general case

$$\frac{N^2(C)}{gM(C)} = \left( \frac{c_{pd}}{c_p} \right) \frac{\partial \ln \theta_l}{\partial z} + \left\{ \frac{R_v - R_d}{R} + \hat{Q} \left[ \frac{L_v(T)}{c_p T} \frac{R}{R_v} - 1 \right] \left[ \frac{R_v - R_d}{R} + \frac{1}{1 - q_t} \frac{1}{1 + D_C} \right] \right\} \frac{\partial q_t}{\partial z}$$

The function  $\hat{Q}$  is a kind of an “interpolator” between non-saturated and fully saturated cases. It depends on both partial cloud cover and “partial cloud cover at neutrality”, which gives a measure of skewness:

$$\hat{Q} = \hat{Q}(C, C_n)$$

# $\hat{Q}$ and $\hat{R}$ parameters

- ▶ The idea of an interpolating function between non-saturated and saturated BVF was proposed in work of Lewellen and Lewellen (LL04). They denoted it as  $\hat{R}$  :

$$N_m^2 = (1 - \hat{R})N_{dry}^2 + \hat{R}N_{sat}^2$$

- ▶ LL04 further proposed to compute  $\hat{R}$  by a mass-flux type method in a rather simple way and they have shown a relationship between  $\hat{R}$  and cloud cover  $C$  derived from LES data
- ▶ In TOUCANS this approach is enhanced:  $\hat{R}$  is replaced by  $\hat{Q}$  (based on the work of thermodynamics) and its dependence on the “skewness” parameter  $C_n$  ( $C$  in case of neutrality) is introduced. Fit to LES data is better than in the case of  $\hat{R}$  .

# $\hat{Q}$ - practical computation

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- ▶ There is a relationship between  $\hat{Q}$  and  $C$ , while  $C_n$  can be determined diagnostically. When getting either  $\hat{Q}$  or  $C$ , the relationship can be iterated to obtain final values;
- ▶ Getting  $C$  would require to employ some scheme to get shallow convection cloudiness (danger to break the consistency with other assumptions made so far);
- ▶ Instead, in TOUCANS we decide to obtain *the first estimate of  $\hat{Q}$*  from the mass-flux type computation proposed by LL04 to get  $\hat{R}$ .

# Idea of mass flux (1)

- ▶ According to LL04, the parameter  $\hat{R}$  can be expressed as a ratio of condensed water flux and of the flux of difference between total water and saturation vapor (saturation deficit):

$$d_{sat} = q_t - q_{sat} :$$

$$\hat{R} = \frac{w' q'_l}{w' d'_{sat}}$$

- ▶ Here we can borrow the convective mass flux expression, which for a general quantity  $\psi$  reads:

$$w' \psi' = \alpha M_c (\psi^u - \bar{\psi})$$

- ▶ Where  $\alpha$  represents entrainment,  $M_c$  is mass flux, subscript u denotes updraft and bar denotes mean grid-box value

## Idea of mass flux (2)

- ▶ Since we have ratio of fluxes, we may omit both entrainment rates and mass fluxes to write directly the expression for  $\hat{R}$ :

$$\hat{R} = \frac{\max(0, q_t^u - q_w^u) - \max(0, \bar{q}_t - \bar{q}_{sat})}{(q_t^u - q_w^u) - (\bar{q}_t - \bar{q}_{sat})}$$

- ▶ Where our quantity  $\psi$  is deficit to saturation, computed in updraft and as a mean grid box value.



# Updraft parameterization (1)

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- ▶ We construct **moist adiabatic cloud profile** like in case of moist deep convection => simplified computation taken from ACCVUD;
- ▶ Questions on **entrainment**
  - ▶ Thanks to the ratio of fluxes it is not needed by principle;
  - ▶ We use it to prevent starting new cloud above a thick enough stable layer:
    - ▶ We determine  $N_{sat}$  and compute the first model level starting from the ground topping 2500m thick layer of a stable  $N_{sat}$  stratification;
    - ▶ From that model level we apply a relatively strong entrainment rate of the order  $10^{-3}$ , relaxing the profile to the environment.
  - ▶ This constraint is a relatively weak one.

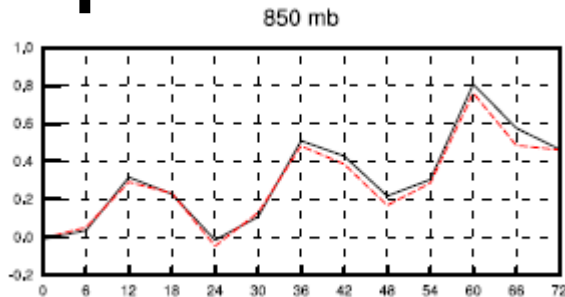
# Updraft parameterization (2)

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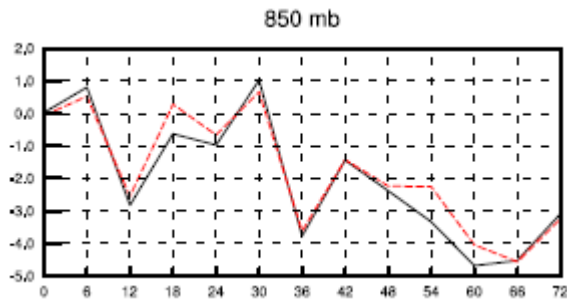
- ▶ When to **abort cloud**
  - ▶ Previously we had a condition on turbulence activity measured by TKE and TBE values => cloud aborted when these were enough small.
    - ▶ Problem of a feedback, since buoyancy is source/sink of turbulence, and by doing so we could reverse the causality at work;
    - ▶ Problem to determine the TKE/TBE thresholds – too arbitrary.
    - ▶ This approach was abandoned.
  - ▶ **Test on net condensate in updraft**
    - ▶ When not positive => return to zero buoyancy (before clipped to zero)
  - ▶ **Test on buoyancy**
    - ▶ When negative, return to the mean grid-box values of blue point and cloud condensate

# Impact on results

**T**

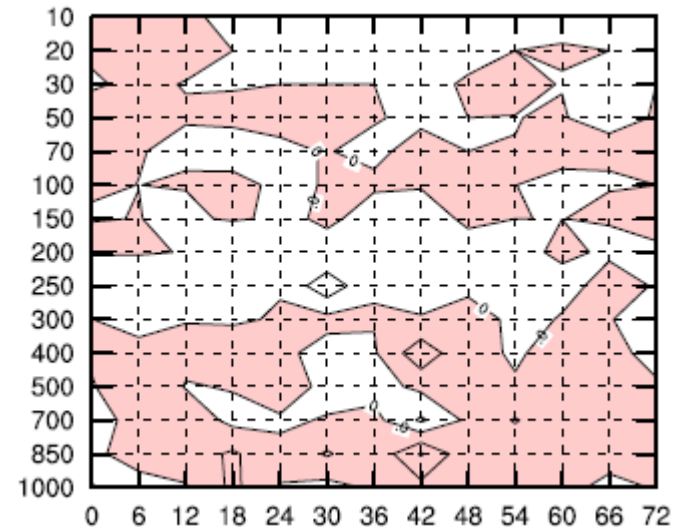


**RH**

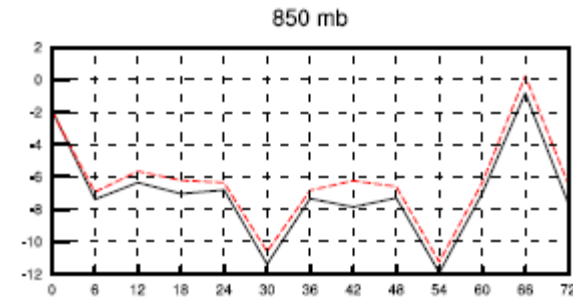


REF  
TEST

**RH - RMSE diff**



**RH - bias**



Summer e-suite; scores from 22/06 to 10/07/2017. Improved SCC reduces warm and dry bias at the PBL top. RMSE scores within PBL are also slightly improved.

Winter e-suite from 10/01 to 20/01/2017. Better humidity scores.

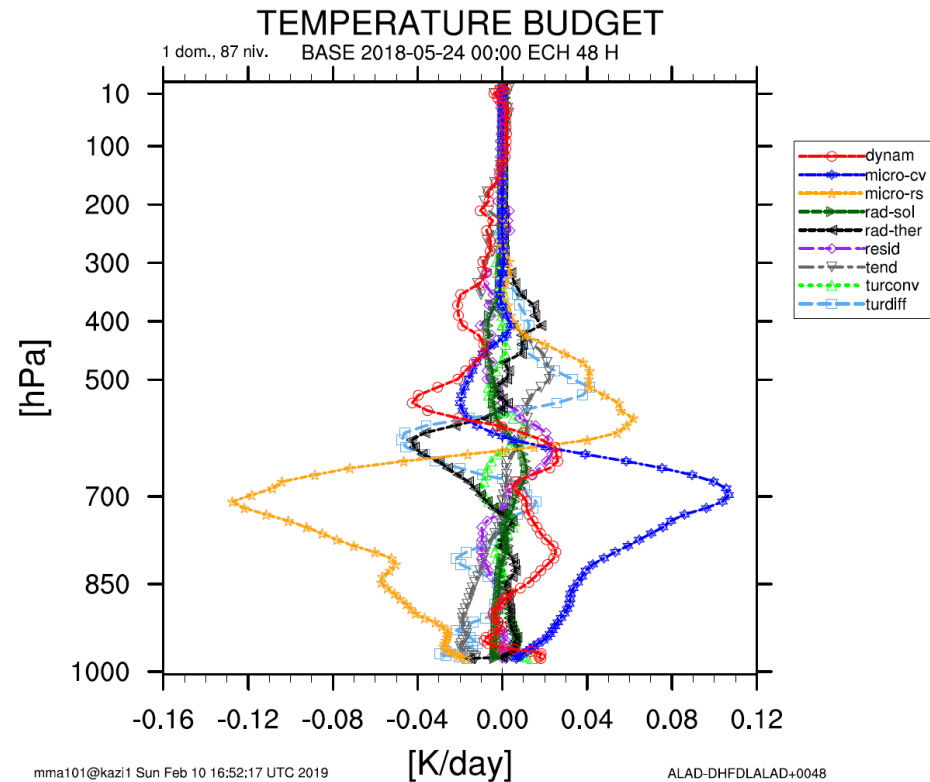
# Impact on results -discussion

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- ▶ In general, the recent modifications enhanced turbulent transport within PBL;
- ▶ Especially in summer we see the “resolved” condensation gets more importance than the one in convective updrafts;
- ▶ In this way, turbulence (shallow convection) plays an important role on the activity of respective condensation schemes (thermodynamic adjustment vs unresolved updrafts);
- ▶ We do not have arbitrary thresholds in the cloud profile computation, except one: the **2500m** thickness of the stable layer to forbid starting a cloud. What is the sensitivity to it?

# Some additional tests

- ▶ Pushing the limit of thickness of a stable layer from 2500m lower? To which thickness?
- ▶ In case the stable layer starts from the ground, it may prevent to start a cloud base higher than this limit;
- ▶ Again, the role of this limitation is more visible in summer, i.e. what is taken by resolved vs unresolved condensation.
- ▶ Temperature multi-budget difference of 1500m vs 2500m limit. Push toward more unresolved condensation is clearly seen.



Case of 24 May 2018, dx=2.3km

# Conclusions and Outlook

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- ▶ New shallow convection closure based on the mass-flux approach works much better than the previous approach based on the moist Richardson number  $R_i^*$ ;
- ▶ Moist anti-fibrillation scheme is not necessary any more as it had to be the case when using  $R_i^*$ ;
- ▶ Is there still something to open?
  - ▶ Cloud profile computation seems to be well consolidated;
  - ▶ There is the “enough thick stable layer” of 2500m, which does not have a big impact but still ....
  - ▶ The real question is to open again the shallow convective cloudiness result as input to the radiation in order to replace the current “QSSC” trick.