

The non-saturated downdraught in Alaro-1

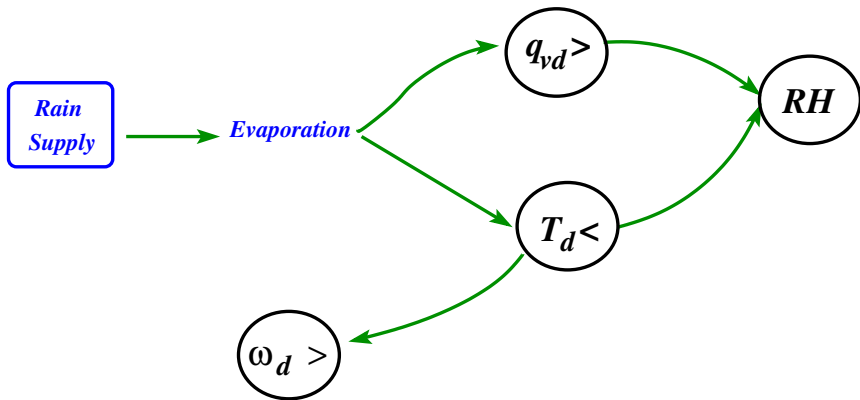
Luc Gerard



12 September 2016

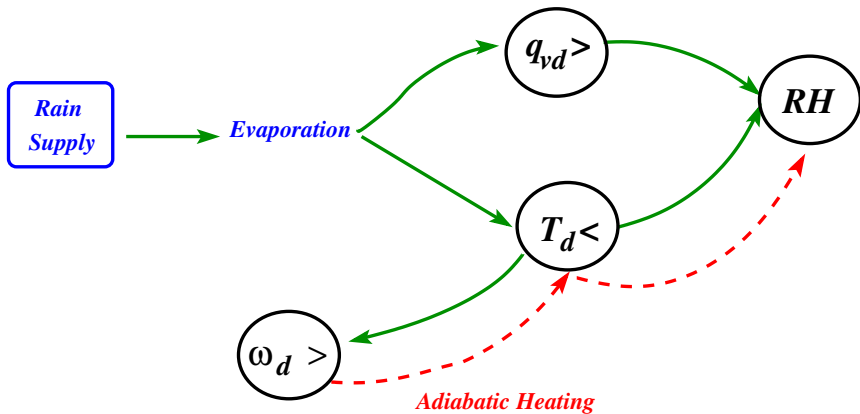
Why downdraught is subsaturated

Rain evaporation moistens and cools the downdraught parcel \Rightarrow negative buoyancy



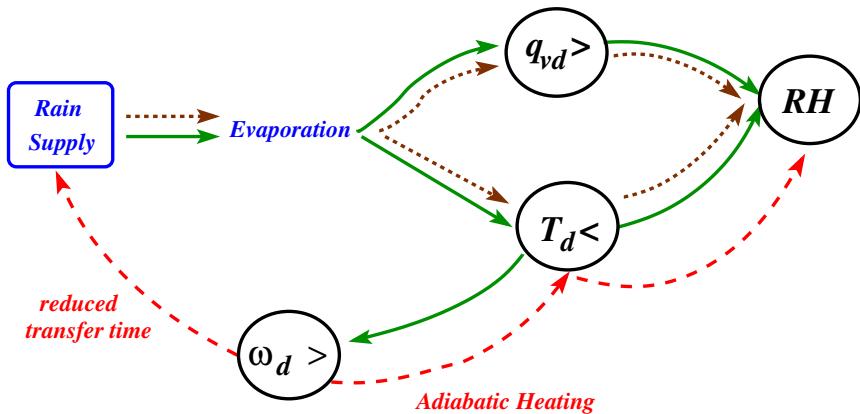
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Starting point

- Süd and Walker (1993): around level of minimum θ_{eq} close to 650hPa, anyway below 500hPa: higher up, mostly driven by water loading, with $\Gamma_e \approx \Gamma_{\text{adiab}}$.
- Start with saturated state $(\check{T}, \check{q}) = (\overline{T_w}, \overline{q_w})$ (environment blue point).

Unsaturated descent segments

- Betts and Silva Dias (1979): curve of constant θ_{eq} but unsaturated.
 $\Rightarrow \text{const } \check{h}_* = \check{s}_* + L\check{q}_*, s = c_p T + \phi$ (h^* not affected by de-saturation)

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(h^ not affected by de-saturation)*

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(\check{s}_* , \check{q}_*) = values from saturated descent with mixing.
- prognostic velocity $\check{\omega}$: inertia \leftrightarrow drag \leftrightarrow buoyancy $\propto (\frac{1}{\check{T}_v} - \frac{1}{\bar{T}_v})$,

$$\check{T}_v = \check{T}(1 - q_r - q_s - \nu\check{q}), \qquad \bar{T}_v = \bar{T}(1 - \bar{q}_c - \nu\bar{q})$$

$$\boxed{\frac{1}{\check{T}_v} \approx \frac{(c\check{\omega} + d)}{(a\check{\omega} + b)}}, \qquad a, b, c, d > 0$$

Water transport to the downdraft

$$\Pi_e = \frac{\check{\omega}}{4\pi DF} = \frac{\check{\omega}}{\mathcal{F}(\mathcal{P})}$$

Diffusion coefficient $D \approx 2 \cdot 10^{-5} m^2 s^{-1}$

$$F = \int_0^{\infty} n(r) C_v(r) r dr, \quad n(r) = n_0 (2r)^\mu \exp(-2b\mathcal{P}^{-\beta} r),$$

$$C_v(r) = 1 + 0.22\sqrt{\mathcal{R}e}, \quad \mathcal{R}e = \frac{2\rho r V}{\eta}, \quad V \approx \sqrt{v_T^2(r) + u^2}$$

Increased ventilation in detrainment part: $u \sim -\frac{r_d}{2} \frac{\Delta\omega_d}{\Delta p}$

Fitting a curve, `gddfp[1:3]` = (k_{F1} , β_F , k_{F2}):

$$\mathcal{F}(\mathcal{P}) = k_F \mathcal{P}^{\beta_F}, \quad k_F = k_{F0} \left(1 + k_{F1} \sqrt{-\frac{\Delta\omega_d}{\Delta p}}\right)$$

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cooling by evaporation and melting computed in microphysics is larger at downdraught location than in the rest of σ_P

$$\delta T_d = G\delta T_e = \frac{G}{1 + \sigma_d(G - 1)} \left[-\frac{g\Delta t}{c_p} \frac{\Delta F_{hP}}{\Delta p} \right], \quad G = G_0(1 - \sigma_d) + 1$$

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- Prognostic vertical velocity ω_d computed together with the descent (3rd degree equation) (**tentrd, tddfr, gddalbu**).
Braking towards surface (**gddbета, gdddp**).

$$\frac{\partial \check{\omega}}{\partial t} = -k(\Lambda_w + k \frac{\text{gdddp}}{(\rho_s - \rho_l)^\beta}) \check{\omega}^2 - (\check{\omega} - \bar{\omega}) \frac{\partial \check{\omega}}{\partial p} - \frac{\alpha_b g^2}{R_a} p \left(\frac{1}{\check{T}_v} - \frac{(c\check{\omega} + d)}{(a\check{\omega} + b)} \right)$$

$$k \sim 1 - \frac{\bar{\omega}}{\check{\omega}}, \quad \Lambda_w = \frac{1}{\Delta p} \left[\frac{-\Delta \phi}{k} (\lambda_d + \frac{\mathcal{K}_{dd}}{g}) + \delta_{oe} \left(\frac{\Delta \check{\omega}}{\check{\omega}} + \frac{\Delta k}{k} \right) \right]$$

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- Compatibility with CSD approach when $\bar{\omega} > 0$ (**lcdcdsd=T**): $k < 1$.

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- Along the descent, estimate **maximum viable fraction** σ_{dx}^l for evaporating
 - less than $\frac{1}{3}$ of remaining precipitation flux when in the higher part,
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- maintain $\sigma_{d0}^l \leq \sigma_{dx}^l \Rightarrow (\sigma_{d0}, \sigma_{dx})$ at bottom
 - precipitation never exhausted
 - single downdraught along the vertical, no restart
 - final σ_{d0}, σ_{dx} obtained at bottom

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- maintain $\sigma_{d0}^l \leq \sigma_{dx}^l \Rightarrow (\sigma_{d0}, \sigma_{dx})$ at bottom
- Evolution by relaxation: $\sigma_{d1} = \sigma_{d0} e^{\frac{-\Delta t}{\tau_d}} + \sigma_{dx} (1 - e^{\frac{-\Delta t}{\tau_d}})$

$$\tau_d = \begin{cases} \text{gddtausig} & \\ \left| \text{gddtausig} \right| \cdot (1 - \sigma_{d9}) & \text{if } \text{gddtausig} < 0 \\ \left| \text{gddtausig} \right| \cdot \left[1 - \min\left(0.99, \frac{\mathcal{P}_{\text{surf}}}{|\text{gddwfp}|}\right) \right] & \text{if } \text{gddwfp} < 0 \end{cases}$$

faster evolution when precipitation intense or large dd fraction

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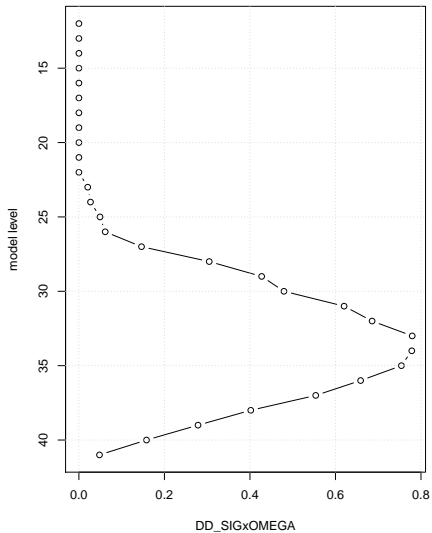
faster evolution when precipitation intense or large dd fraction

- σ_{d1} copied at all active levels for advection by model wind

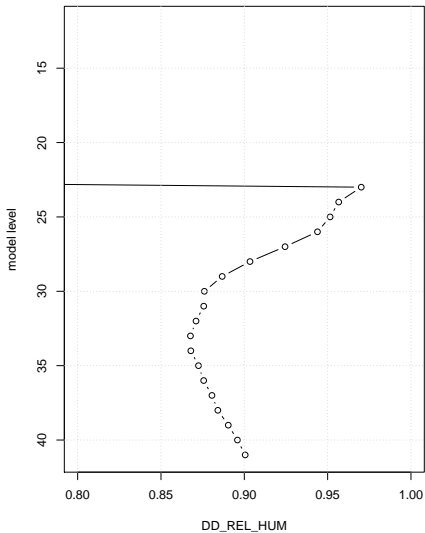
Example mean vertical profiles

Mass flux and relative humidity

Average DD DD_SIGxOMEGA : D038+5



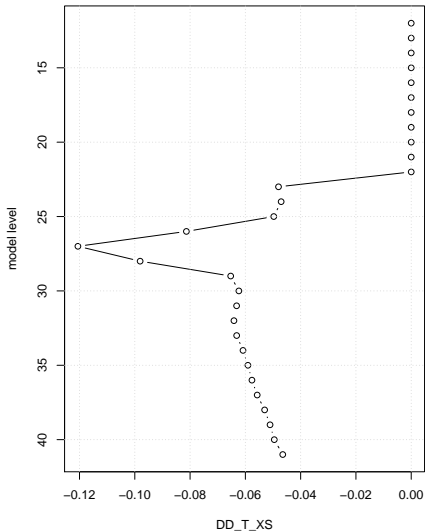
Average DD DD_REL_HUM : D038+5



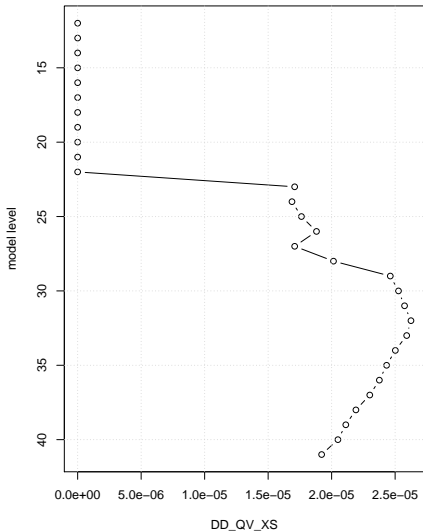
Example mean vertical profiles

Additional cooling/moistening by inhomogeneity

Average DD DD_T_XS : D038+5



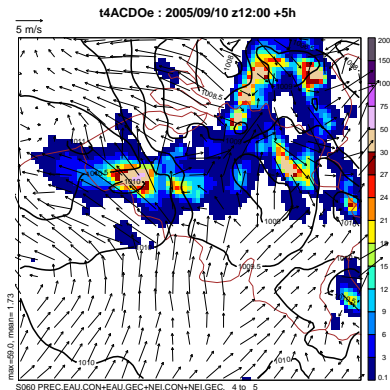
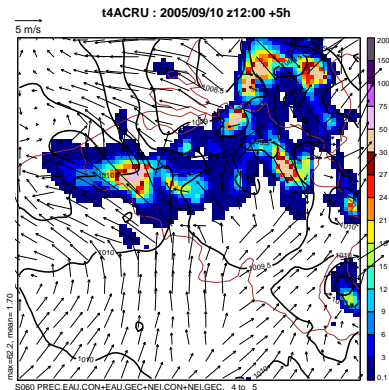
Average DD DD_QV_XS : D038+5



Comparison with Saturated downdraught

The downdraught activity is now localized at places with precipitation;
it yields a smaller domain-averaged evaporation

...but not only that (see further).

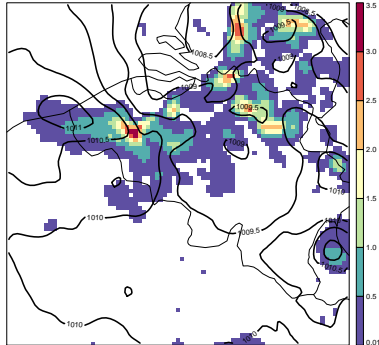


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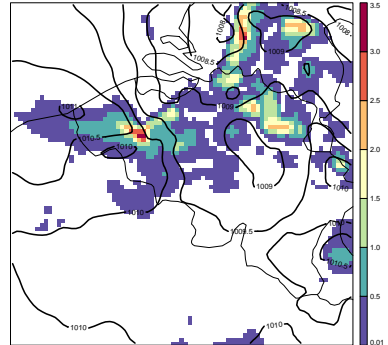
...but not only that (see further).

t4ACRU : 2005/09/10 z12:00 +5h
RAIN lev 60 / 60



ofs= 0.0, scal=1e+03, min=-0.0, max= 3.2, mean= 0.11

t4ACDOe : 2005/09/10 z12:00 +5h
RAIN lev 60 / 60



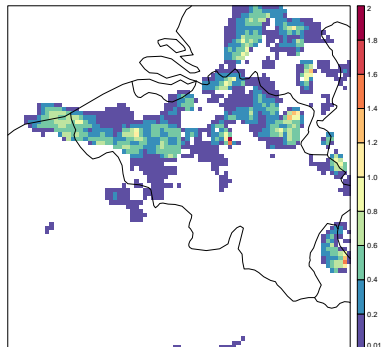
ofs= 0.0, scal=1e+03, min=-0.0, max= 3.4, mean= 0.11

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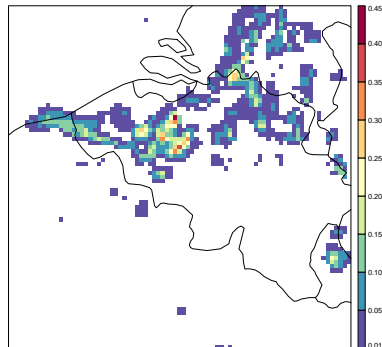
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t4ACRU : 2005/09/10 z12:00 +5h
DD_EVAP_FLUX lev 60 / 60



ofs= 0.0, scal=1e+03, min= 0.0, max= 2.0, mean= 0.05

t4ACDOe : 2005/09/10 z12:00 +5h
DD_EVAP_FLUX lev 60 / 60



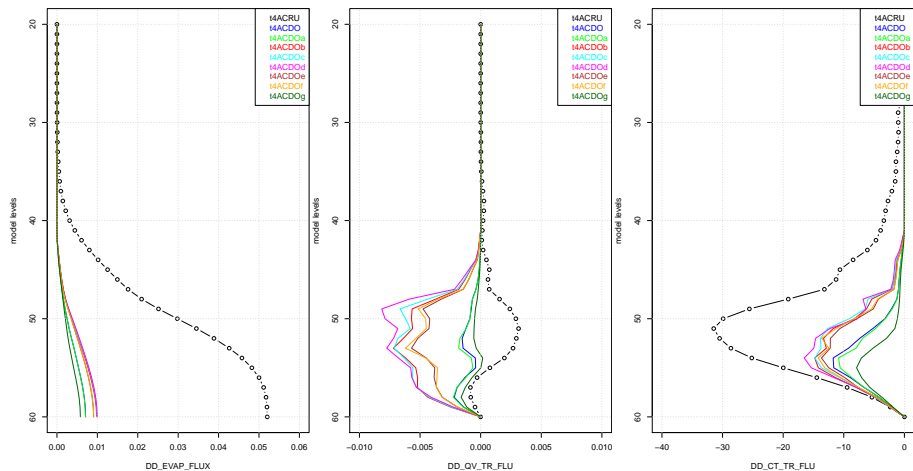
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Sensitivity tests

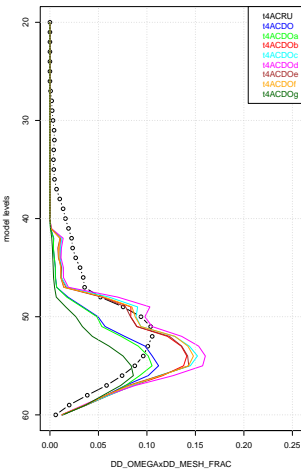
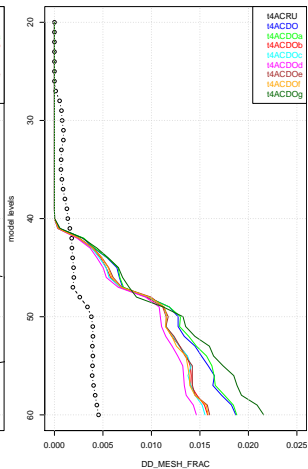
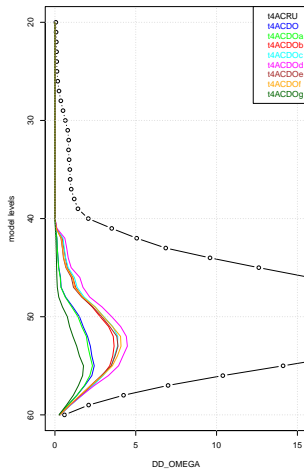
- turbulent mixing **tentrd**
- drag coefficient **tddfr**
- braking towards surface **gddb β** \sim 2, **gddalbu** \sim 3E4
- evolution/inertia of mesh fraction **gddtausig**: 1800s reduced down to 1% by intense precipitation

	tentrd	tddfr	saturated
ACRU	16E-5	12E-4	yes
ACDO	12E-5	16E-4	no
ACDOa	12E-5	24E-4	no
ACDOb	12E-6	16E-4	no
ACDOc	12E-6	12E-4	no
ACDOd	12E-6	4E-4	no
ACDOe	40E-6	4E-4	no
ACDOf	40E-6	2E-4	no
ACDOg	24E-5	24E-4	no

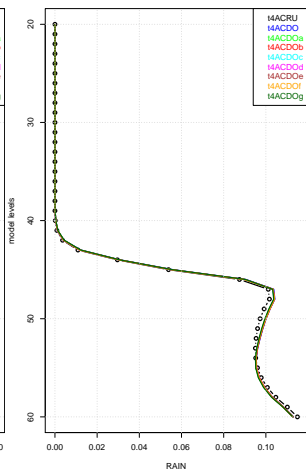
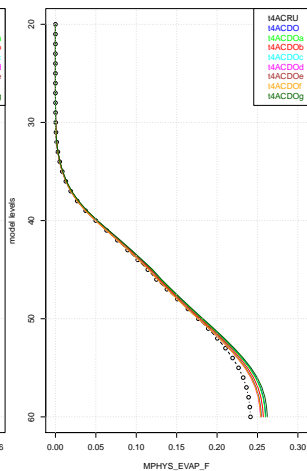
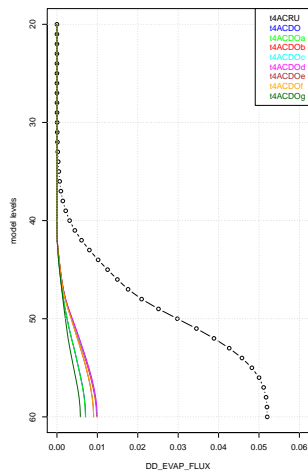
Domain-averaged profiles



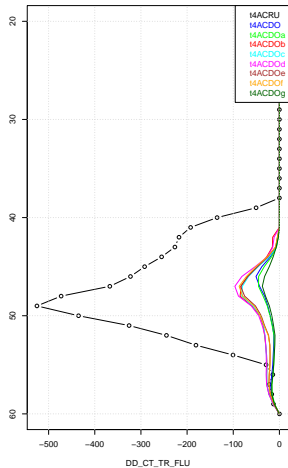
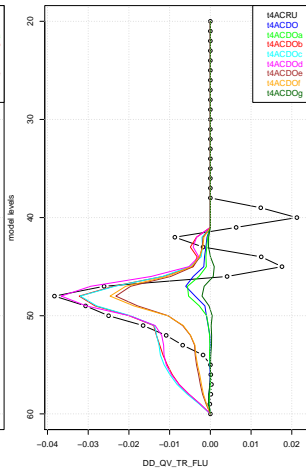
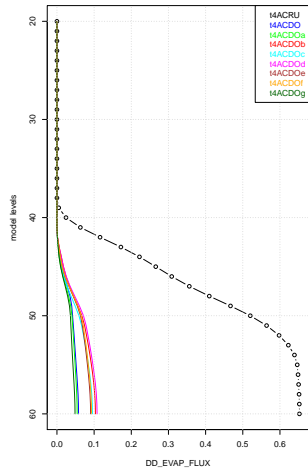
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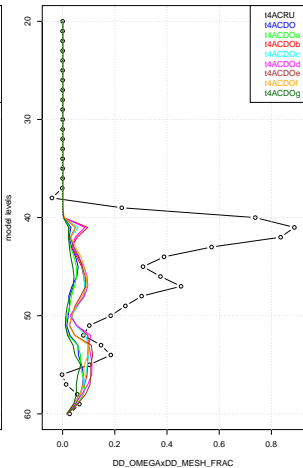
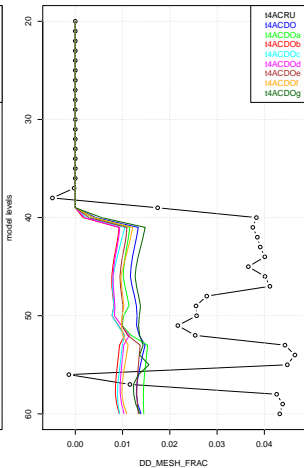
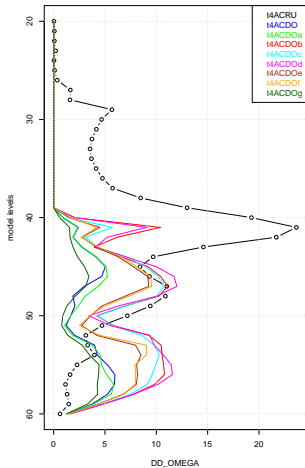
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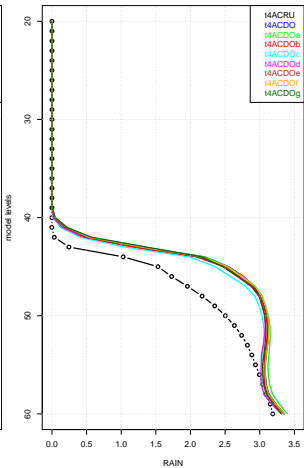
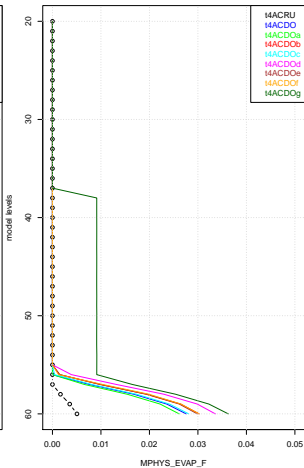
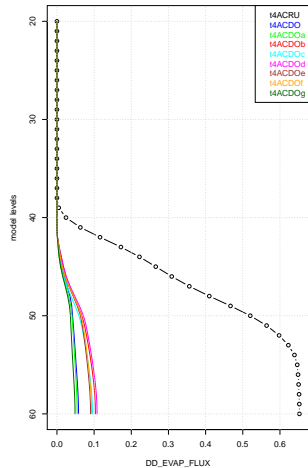
Profile at location of maximum surface rain



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Summary

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 - due to more feedbacks than in saturated version, not straightforward to foresee the effect on one tuning on the evaporation
 - Multiple feedbacks in Alaro-1, how to choose at which level a problem has to be addressed: cloud scheme (critical humidity profile), microphysics (auto-conversion), radiation (incl. radiative cloud and condensates), updraught, downdraught ?

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- Uncertainties:
 - formulation of water transfer: different values of the constants in the literature (but small impact)
 - ignoring microphysical effects
 - no local radiative effects
 - 'inertia' (**gddtausig**) and the closure method:
what does actually determine the downdraught area ?